

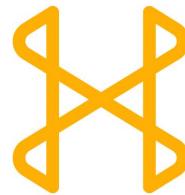
# Young Researchers in Algebraic Number Theory

University of University of Sheffield

8-9 November 2018



LONDON  
MATHEMATICAL  
SOCIETY  
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Heilbronn  
Institute for  
Mathematical  
Research



The  
University  
Of  
Sheffield.

### Thursday 8th November

09:00	REGISTRATION AND BREAKFAST IN K14
09:45	Opening Remarks in K14

Room:	F20	J11
10:00	Daria Shchedrina	Alex Saad
10:30	Adam Morgan	Fabio Ferri
11:00	BREAK IN K14	
11:30	George Turcas	Richard Hatton
12:00	Ashwin Iyengar	Gene Kopp
12:30	LUNCH	

Room:	LT3	J11
14:00	Dr. Ana Caraiani	
15:00	BREAK IN I15	
15:30	Jef Laga	Catherine Hsu
16:00	Beth Romano	Angelo Rendina
16:30	BREAK IN I15	
16:50	Pip Goodman	Salvatore Mercuri
17:20	Vlad Serban	Dan Fretwell
19:30	CONFERENCE DINNER	

#### Location

Hicks Building  
226 Hounsfield Road  
Sheffield, S3 7RH

### Friday 9th November

09:00	BREAKFAST IN I15
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Room:	LT5	LT6
10:00	Marius Leonhardt	Di Zhang
10:30	Nirvana Coppola	Rob Little
11:00	BREAK IN I15	
11:30	Pol van Hofen	Sadih Zahoor
12:00	Alexandre Daoud	Martin Lüdtke
12:30	LUNCH	

Room:	LT5	F20
14:00	Prof. Minhyong Kim	
15:00	BREAK IN I15	
15:30	Ben Heuer	Damián Gvirtz
16:00	Alice Pozzi	André Macedo
16:30	Daniel Gulotta	Masahiro Nakahara

**LT3** Floor D (ground floor), to the left of the lifts

**LT5** Floor E, to the left of the lifts

**LT6** Floor E, to the left of the lifts

## Location

All talks will take place in the Hick's Building, 226 Hounsfield Road, S3 7RH.

The talks will take place in J11, F20, LT3 (D floor), LT5 (E floor) and LT6 (E floor). Registration and breakfast on Thursday will be in K14. Apart from the first coffee break on Thursday, all breaks will be in I15.

## Lunch locations

- **The Interval Cafe and Bar:** located in the University of Sheffield Students' Union, serves pizzas, soups, hot and cold sandwiches, hot main courses. Vegetarian, vegan and Halal options. \$
- **The University Arms,** 197 Brook Hill. A pub, about a 3 minute walk from the Hick's Building. Vegetarian and vegan options. \$\$
- **California Fresh,** 257 Glossop Road. About a 5 minute walk from the Hick's Building. Mexican-style food. Vegetarian and vegan options. \$
- **Orient Express,** 290 Glossop Road. About a 5 minute walk from the Hick's Building. Cantonese/Sichuan food. Vegetarian and vegan options. \$\$
- **Upshot Espresso,** 355 Glossop Road. About a 5 minute walk from the Hick's Building. Cafe serving British/European food. Vegetarian and vegan options. \$\$

## Conference Dinner

The conference dinner will be at **7:30pm on Thursday** at

### **OISOI Restaurant and Bar**

2 St Paul's Place, 121 Norfolk Street  
University of Sheffield, S1 2FJ.

The meal is included in the registration fee, however our funding restrictions mean that we can't pay for alcohol.

## Organisers

The organisers are Ciaran Schembri and Ariel Weiss. Please come and find us if you need anything!

# Titles and Abstracts

## Shimura varieties, torsion classes, and Galois representations

Dr. Ana Caraiani

Imperial College London

**Keynote  
talk**  
Thursday  
2pm  
LT3

In this talk, I will describe joint work in progress with Peter Scholze on torsion in the cohomology of certain unitary Shimura varieties. I will explain how the theory of perfectoid spaces and  $p$ -adic Hodge theory give new insights into the geometry and cohomology of Shimura varieties. I will also mention applications of these results to elliptic curves over imaginary quadratic fields, joint with Allen, Calegari, Gee, Helm, Le Hung, Newton, Scholze, Taylor, and Thorne.

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## Galois action on elliptic curves

Nirvana Coppola

University of Bristol

**Research  
talk**  
Friday  
10:30am  
LT5

The starting point of my work is the study of elliptic curves defined over a  $p$ -adic field and  $\ell$ -adic Galois representations attached to them. In particular an interesting problem is to describe the action and the possible image of the inertia group under these representations. This action depends first of all on the reduction type of the curve, for example it is trivial if and only if the curve has good reduction modulo  $p$ . Another key factor is the residue characteristic  $p$  of the field: if  $p$  is different from 2 and 3, it is relatively easy to describe (it is cyclic). If  $p$  is either 2 or 3, it is convenient to express the image of inertia in terms of the Galois group of a certain finite extension, giving explicitly the generators for it.

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## On the theory of higher rank Euler systems

Alexandre Daoud

King's College London

**Overview  
talk**  
Friday  
12pm  
LT5

I will report on the recent work of David Burns and Takamichi Sano regarding the construction of higher rank Euler systems for  $p$ -adic representations. In particular, if we fix a number field  $K$ , a  $p$ -adic representation  $T$  of  $K$  and an abelian pro- $p$  extension  $\mathcal{K}/K$  (such that the data  $(K, T, \mathcal{K})$  satisfies some not-to-strong hypotheses), their methods lead to the construction of a canonical (and typically large)  $\mathbb{Z}_p[[\text{Gal}(\mathcal{K}/K)]]$ -module of higher rank Euler systems. If time permits, I will outline how in the classical setting of the cyclotomic  $\mathbb{Z}_p$ -extension of  $\mathbb{Q}$ , the known validity of the eTNC implies that this construction recovers the cyclotomic units. The main reference for this talk is the paper titled “On the theory of higher rank Euler systems, Kolyvagin systems and Stark systems” by Burns–Sano.

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## Tame Galois module structure revisited

Fabio Ferri

University of Exeter

**Research  
talk**  
Thursday  
10:30am  
J11

This is joint work with Cornelius Greither. A number field  $K$  is Hilbert–Speiser if all of its tame abelian extensions  $L/K$  admit NIB (normal integral basis). It is known that  $\mathbb{Q}$  is the only such field, but when we restrict  $\text{Gal}(L/K)$  to be a given group  $G$ , the classification of  $G$ -Hilbert–Speiser fields is far from complete. In this talk, we present new results on so-called  $G$ -Leopoldt fields. In their definition, NIB is replaced by “weak NIB” (defined below). Most of our results are negative, in the sense that they strongly limit the class of  $G$ -Leopoldt fields for some particular groups  $G$ , sometimes even leading to an exhaustive list of such fields or at least to a finiteness result. In particular we are able to correct a small oversight in a recent article by Ichimura concerning Hilbert–Speiser fields.

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## Hilbert modular Eisenstein congruences

Dan Fretwell

University of Bristol

(Joint work with Cathy Hsu and David Spencer)

It is often the case that there is a congruence mod  $p$  between the Fourier coefficients of a cusp form (mysterious thingamabob) and an Eisenstein series (well understood thingamabob). The first such congruence can be found in the work of Ramanujan, who remarkably observed that  $\tau(n) \equiv \sigma_{11}(n) \pmod{691}$ . Here  $\tau(n)$  is the coefficient of  $q^n$  in the power series expansion of  $q \prod (1 - q^n)^{24}$  and  $\sigma_{11}(n)$  is the 11th power divisor sum of  $n$ . Sounds bizarre... right?

Over the last 50 or so years Ramanujan's phenomenon has been observed in much higher generality, and so the theory of Eisenstein congruences has been born. This has blossomed into a collection of far reaching results/conjectures about modular and automorphic forms modulo  $p$ , which in turn have led to various applications in and including Iwasawa theory, the theory of Galois representations and the Bloch–Kato conjecture.

In this talk I will give a brief overview of various classical Eisenstein congruences and discuss work in progress on the generalization of these results to the Hilbert modular case (i.e. modular forms over a totally real field).

**Research  
talk**  
Thursday  
5:10pm  
J11

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## Abelian varieties and their endomorphism algebras

Pip Goodman

University of Bristol

We'll begin with an overview of abelian varieties and their endomorphism algebras. Afterwards, we'll see how the action of Galois imposes restrictions on the endomorphism algebra of a given abelian variety.

**Overview  
talk**  
Thursday  
4:40pm  
LT3

## Modular forms near the boundary of weight space

Daniel Gulotta

University of Oxford

**Research  
talk**  
Friday  
4:30pm  
LT5

Let  $p$  be a prime, and let  $N$  be a positive integer not divisible by  $p$ . Some nice patterns appear in the  $U_p$ -eigenvalues of the spaces of modular forms  $S_k(\Gamma_1(Np^r))$  for  $r \geq 2$ . Coleman pointed out that these patterns could be partially explained by the existence of a space of “ $p$ -adic modular forms with  $\mathbb{F}_p((T))$  coefficients”. I will construct such a space. In the process, I will give an answer to the question “What does it mean for a function  $\mathbb{Z}_p \rightarrow \mathbb{F}_p((T))$  to be locally analytic?”

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## Brauer groups of surfaces

Damián Gvirtz

Imperial College London

**Research  
talk**  
Friday  
3:30pm  
F20

The Brauer group of an algebraic variety is an important invariant in the obstruction of rational points. To understand it, one can find a filtration into several parts, constant, algebraic and transcendental. The third one is the least understood. Relying on homological algebra work by J.-L. Colliot-Thélène and A. Skorobogatov and complex multiplication on K3 surfaces by Rizov-Valloni, I will show how to fully classify the transcendental part of diagonal quartic surfaces over  $\mathbb{Q}$  and sketch further cases. The case of diagonal quartics is joint work with A. Skorobogatov.

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## Modular points on elliptic curves

Richard Hatton

University of Nottingham

**Research  
talk**  
Thursday  
11:30am  
J11

In the arithmetic of elliptic curves, we are interested in the construction of points on an elliptic curve. In particular, it has been shown that we are able to bound certain Selmer groups using modular points, specifically the use of Heegner points by Kolyvagin and Self points by Wuthrich. We will define these points and will show how they can be used to create the bounds and its generalisations.

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## Perfectoid modular forms

Ben Heuer

King's College London

If one compares  $q$ -expansions of different modular forms defined over the integers for varying weight, one may find that there are curious mod  $p$  congruences occurring in the Fourier coefficients. In the 1970s, Serre studied such congruences by considering  $p$ -adic limits of  $q$ -expansions of modular forms – the theory of  $p$ -adic modular forms was born. Shortly after, Katz reinterpreted this definition in terms of  $p$ -adic moduli spaces of elliptic curves.

In recent years, perfectoid spaces have been used to offer a new perspective on these  $p$ -adic moduli spaces, and on  $p$ -adic modular forms in particular. Moreover, this language allows one to define new spaces of “perfectoid” modular forms. In this talk, we will discuss some aspects of classical modular forms that can be studied using this perfectoid perspective.

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**Overview  
talk**  
Friday  
3:30pm  
LT5

## Level lowering for $GL_n$ via $p$ -adic uniformisation

Pol van Hoften

King's College London

Mazur's principle states that a cusp form of level  $\Gamma_0(pN)$  is congruent (mod  $\ell$ ) to a cusp form of level  $\Gamma_0(N)$  if and only if the mod  $\ell$  representation is unramified at  $p$ . This was generalized to Hilbert modular forms by Carayol, Jarvis and Fujiwara, the latter using  $p$ -adic uniformisation of Shimura curves. I will discuss my attempts to generalize this to automorphic forms for  $GL_n$  using  $p$ -adic uniformisation of (unitary) Shimura varieties.

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**Research  
talk**  
Friday  
11:30am  
LT5

## Higher Eisenstein congruences

Catherine Hsu

University of Bristol

In his seminal work on modular curves and the Eisenstein ideal, Mazur studied the existence of congruences between certain Eisenstein series and newforms, proving that Eisenstein ideals associated to weight 2 cusp forms of prime level are locally principal. In this talk, we re-examine Eisenstein congruences, incorporating a notion of “depth of congruence,” in order to understand the local structure of Eisenstein ideals associated to weight 2 cusp forms of squarefree level.

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**Research  
talk**  
Thursday  
3:20pm  
J11



## Irreducible components of local deformation spaces

Ashwin Iyengar

King's College London

**Research  
talk**  
Thursday  
12:00pm  
F20

In a paper by Colmez et. al, the authors explicitly describe the irreducible components of the generic fiber of a local Galois deformation ring in the  $\ell = p$  case. In particular, they focus on deformations of the trivial representation  $\bar{\rho} : G_{\mathbb{Q}_2} \rightarrow \mathrm{GL}_2(L)$  for  $L$  a finite extension of  $\mathbb{Q}_2$ . I will describe my current attempts to extend their methods to an arbitrary finite extension  $K/\mathbb{Q}_p$  for any  $p$ , and to  $\mathrm{GL}_n$  for arbitrary  $n$ .

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## Principal bundles in Diophantine geometry

Prof. Minhyong Kim

University of Oxford

**Keynote  
talk**  
Friday  
2pm  
LT5

## Complex equiangular lines and the Stark conjectures

Gene Kopp

University of Bristol

**Research  
talk**  
Thursday  
12:00pm  
J11

We describe an application of algebraic and analytic number theory to a long-standing open problem in design theory and quantum mechanics. The existence of a set of  $d^2$  pairwise equiangular complex lines (a SIC-POVM) in  $d$ -dimensional Hilbert space is currently known only for a finite set of dimensions  $d$ . We prove that, if there exists a set of real units in a certain ray class field (depending on  $d$ ) satisfying certain congruence conditions and algebraic properties, a SIC-POVM may be constructed when  $d$  is an odd prime congruent to 2 modulo 3. We give an explicit analytic formula that we expect to yield such a set of units. Our construction uses values of derivatives of zeta functions at  $s = 0$  and is closely connected to the Stark conjectures over real quadratic fields. We will work through the example  $d = 5$  in detail to help illustrate our results and conjectures.

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## Arithmetic invariant theory

Jef Laga

University of Cambridge

Let  $G$  be a reductive group over a field  $k$  and let  $V$  be a linear representation of  $G$ . Then the  $k$ -algebra  $k[V]^G$  of  $G$ -invariant polynomials on  $V$  is of finite type and we can define the quotient  $V//G = \text{Spec } k[V]^G$  together with a quotient map  $\pi : V \rightarrow V//G$ . This method of taking quotients of affine varieties falls under geometric invariant theory. If  $k$  is not separably closed, the study of  $G(k)$ -orbits in the fibers of  $\pi$  over  $k$ -points of  $V//G$  provides an additional complexity, and often is closely related to arithmetic problems. In this talk I will try to give some examples of how this approach leads to interesting results on the arithmetic statistics of algebraic curves.

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**Overview  
talk**  
Thursday  
3:20pm  
LT3

## $L$ -functions of CM elliptic curves

Marius Leonhardt

University of Cambridge

An elliptic curve has complex multiplication (CM) if its endomorphism ring is bigger than the integers. This innocent looking definition has many fascinating number-theoretic applications. Amongst them is writing the  $L$ -function of the elliptic curve as a product of Hecke characters.

This talk is meant to be an introduction to the theory of complex multiplication. We start by explaining basic properties of CM elliptic curves. Then we construct the associated Hecke characters using (a version of) the so-called main theorem of complex multiplication. Finally, we define the involved  $L$ -functions and show their equality.

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**Overview  
talk**  
Friday  
10:00am  
LT5

## Modular generating series for Picard modular surfaces

Rob Little

University of Durham

**Research  
talk**  
Friday  
10:30am  
LT6

Geometric maps between spaces of modular forms have been studied since the foundational work of Shintani and Shimura on theta lifts between spaces of elliptic modular forms. Throughout the 1970s and 80s, this was regularised into a very general theory by (among others) Don Zagier, Stephen Kudla, John Millson, Friedrich Hirzebruch, James Cogdell, into a theory of theta lifts between modular forms for any two compatible linear groups; we look in particular at the case of the split unitary group  $SU(2, 1)$ . In this case the lift is taking place on a Picard modular surface, and we look at ways of extending the lift from compactly supported forms to generic differential forms on the surface; this work uses topology, geometry, arithmetic and classical modular forms.

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## Anabelian geometry

Martin Lüdtke

Goethe University Frankfurt

**Overview  
talk**  
Friday  
12:00pm  
LT6

I'll give a brief overview of the field of anabelian geometry, starting with the Neukirch–Uchida theorem and presenting Grothendieck's anabelian conjectures from his letter to Faltings and some more recent results.

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## An overview of the Hasse norm principle and some recent results

André Macedo

University of Reading

**Overview/  
research  
talk**  
Friday  
4:00pm  
F20

Given an extension  $K/k$  of global fields, we say that the Hasse norm principle holds if every element of  $k^*$  which is a norm everywhere locally is in fact a global norm from  $K^*$ . In this talk, I'll present Tate's cohomological description of the knot group (an object measuring the failure of the Hasse norm principle) for Galois extensions as well as the main tools to determine this group in the non-Galois case. I'll describe the toric interpretation of this arithmetic principle and how it relates to the weak approximation property on the associated norm one tori. I'll also talk about some recent work of mine in providing an algebraic characterization of this principle in several non-abelian families.

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## Garrett's conjecture for metaplectic Eisenstein series

Salvatore Mercuri

University of Durham

Research  
talk  
Thursday  
4:40pm  
J11

The decomposition of the space of garden-variety modular forms into a direct sum of the cusp forms and the Eisenstein series is well known. What's not so trivial is whether this decomposition also respects algebraicity of the Fourier coefficients of the modular form. The aim is to find a particular algebraic extension of the rationals  $L$  whereby if  $f$  has coefficients in  $L$ , then it can be written as a sum of a cusp form and an Eisenstein series, each having coefficients in  $L$ . This was proven in the case of full level Siegel modular forms of integral weight by Harris (1981) using a pretty nifty method which amounts to proving a case of the pretty general Garrett conjecture (1984). This case states that if a cusp form  $f$  has algebraic coefficients then the so-called Klingen Eisenstein series associated to  $f$  does as well. In this talk, we'll adapt Harris' method to prove this conjecture for Siegel modular forms of half-integral weight of arbitrary level and show how this allows us to determine an algebraic decomposition of the space of such modular forms.

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## Parity of ranks of abelian varieties

Adam Morgan

University of Glasgow

Research  
talk  
Thursday  
10:30am  
F20

For an abelian variety  $A$  over a number field  $K$ , a consequence of the Birch and Swinnerton-Dyer conjecture is the parity conjecture: the global root number of  $A$  determines the parity of its rank. We will survey what is known about the parity conjecture and explain how one may prove (a variant) of this conjecture over quadratic extensions of the original number field.

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## Brauer–Manin obstruction for rational surfaces

Masahiro Nakahara

University of Manchester

Research  
talk  
Friday  
4:30pm  
F20

A variety over a number field satisfies the Hasse principle if it satisfies the local-to-global principle for rational points. This principle can already fail for rational surfaces. It is conjectured that all failures of Hasse principle for rational surfaces are given by the Brauer–Manin obstruction. We study this obstruction for the case of del Pezzo surfaces of degree 2.

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## The eigencurve at weight one points and units in number fields

Alice Pozzi

University College London

In 1973, Serre observed that the Hecke eigenvalues of Eisenstein series can be  $p$ -adically interpolated. In other words, Eisenstein series can be viewed as specializations of a  $p$ -adic family parametrized by the weight. In 1998, Coleman and Mazur defined the eigencurve, a rigid analytic space classifying much more general  $p$ -adic families of Hecke eigenforms. The local nature of the eigencurve is well understood at points corresponding to classical cusp forms of weight  $k \geq 2$ , while the weight one case is far more intricate. In this talk, we discuss the geometry of the eigencurve at weight one points. In particular, we explain how the failure of etaleness at weight one points can be exploited to construct units in certain number fields.

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**Research talk**  
Friday  
4:00pm  
LT5

## Kurokawa–Mizumoto congruences and degree 8 $L$ -functions

Angelo Rendina

University of Sheffield

The “algebraic part” of rightmost critical  $L$ -value associated to the Delta cusp form has a factor of the large prime 691 in its denominator. This prime is also a factor of the 12th Bernoulli number, and is the modulo of congruence between the Hecke eigenvalues of the weight 12 Eisenstein series and the Delta cusp form itself: this is in accordance with a special case of the Bloch–Kato conjecture. In a joint paper with N. Dummigan and B. Heim, we show that the same phenomenon occurs when considering the spinor  $L$ -function associated to the tensor product of an elliptic cusp form and a Siegel cusp form, where the latter is congruent to a Saito–Kurokawa lift modulo a large prime dividing the algebraic part of the  $L$ -function associated to the corresponding pre-lift.

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**Research talk**  
Thursday  
3:50pm  
J11

## Arithmetic statistics through graded Lie algebras

Beth Romano

University of Cambridge

I will talk about recent work with Jack Thorne, in which we analyze a grading on a Lie algebra of type  $E_8$  to find the average size of the 3-Selmer group for a family of genus-2 curves.

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**Research talk**  
Thursday  
3:50pm  
LT3

## Multiple zeta values and modular forms

Alex Saad

University of Oxford

Multiple zeta values (MZVs) are natural generalisations of the values of the Riemann zeta function at integer arguments, and satisfy a wealth of relations and identities. Some of these, due to Ramanujan, provide a “modular” expression for odd zeta values in terms of Eichler integrals of Eisenstein series. We will explore why such formulae exist, and if we can expect similar generalisations for all MZVs, by interpreting these objects within the theory of motivic Galois groups. This is ongoing work relating to the speaker’s PhD, supervised by Francis Brown.

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**Overview  
talk**  
Thursday  
10:00am  
J11

## The Lang-Trotter conjecture and generalizations

Vlad Serban

University of Vienna

I will give a brief exposition of the Lang–Trotter heuristic which concerns the number of primes  $p$  with a fixed trace of Frobenius at  $p$ ; here the action is coming from the torsion of an elliptic curve  $E$ . Then I will explain what happens when one generalizes this prediction to products of elliptic curves.

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**Overview/  
research  
talk**  
Thursday  
5:10pm  
LT3

## Equivariant Birch and Swinnerton-Dyer conjecture

Daria Shchedrina

University of Nottingham

I will tell about possible ways to generalize the conjecture of Birch and Swinnerton-Dyer. We will start with definition of  $L$ -function of elliptic curve and then come to formulation of the BSD conjecture, by the end of talk I will tell about some techniques helpful to approach one of parts of the BSD and in case if there is be time left a possible generalization.

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**Overview  
talk**  
Thursday  
10:00am  
F20

## On Fermat equation over some quadratic imaginary fields

George Turcas

University of Warwick

Assuming a deep but standard conjecture in the Langlands programme, we prove Fermat's Last Theorem over  $\mathbb{Q}(i)$ . Under the same assumption, we will discuss Fermat's equation  $a^p + b^p + c^p = 0$ , for prime exponents  $p$ , when  $a, b, c$  belong to any of the nine quadratic imaginary fields of class number one. Part of the results can be found at <https://doi.org/10.1007/s40993-018-0117-y>.

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**Research  
talk**

Thursday  
11:30am  
F20

## Gauss' conjecture – peculiar proof and progress

Sadiya Zahoor

University of Sheffield

One of the classical problems in number theory is to determine, for a given positive integer, all possible fundamental discriminants  $D$  of imaginary quadratic fields with associated class number  $h(D)$  equal to the given positive integer. Gauss had conjectured in 1801 that the class number tends to infinity as the fundamental discriminant tends to minus infinity for imaginary quadratic fields. The proof of this conjecture involved one of the most peculiar usages of the generalised Riemann hypothesis. The talk shall cover from the highlights of the peculiar proof and development about the conjecture — both ineffective and effective versions to the recent progress by M. Watkins.

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**Overview  
talk**

Friday  
11:30am  
LT6

## Shintani lifting

Di Zhang

University of Sheffield

In this talk I will recall Shintani's method to construct modular forms of half-integral weight out of classical modular forms via the theta correspondence. Then I will explain how to generalize this to lift Bianchi modular forms to Siegel modular forms and discuss what I can prove about relating the Fourier coefficients of this lift to special  $L$ -values of the Bianchi modular forms.

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**Research  
talk**

Friday  
10:00am  
LT6

## Participants

**Federico Amadio Guidi**, University of Oxford  
**Alessandro Arlandini**, University of Warwick  
**Jamie Beacom**, University of Oxford  
**Adel Betina**, University of Sheffield  
**Francesca Bianchi**, University of Oxford  
**Joshua Box**, University of Warwick  
**Dr. Ana Caraiani**, Imperial College London  
**Petru Constantinescu**, University College London  
**Nirvana Coppola**, University of Bristol  
**Alexandre Daoud**, King's College London  
**Joshua Drewitt**, University of Nottingham  
**Sam Edis**, University of Sheffield  
**Fabio Ferri**, University of Exeter  
**Dan Fretwell**, University of Bristol  
**Johannes Girsch**, LSGNT  
**Pip Goodman**, University of Bristol  
**Andrew Graham**, University College London  
**Daniel Gulotta**, University of Oxford  
**Damián Gvirtz**, Imperial College London  
**Richard Hatton**, University of Nottingham  
**Ben Heuer**, LSGNT/King's College London  
**Pol van Hoften**, LSGNT/King's College London  
**Matthew Honor**, King's College London  
**Catherine Hsu**, University of Bristol  
**Ayesha Hussain**, University of Bristol  
**Ashwin Iyengar**, King's College London  
**Mehsin Jabel Atteya**, University of Leicester  
**Prathan Jarupoonphol**, University of Sheffield  
**Maleeha Khawaja**, University of Nottingham  
**Prof. Minhyong Kim**, University of Oxford  
**Gene Kopp**, University of Bristol



**Jef Laga**, University of Cambridge  
**Lorenzo La Porta**, LSGNT/King's College London  
**Samuel Le Fourn**, University of Warwick  
**Marius Leonhardt**, University of Cambridge  
**Rob Little**, University of Durham  
**David Lowry-Duda**, University of Warwick  
**Martin Lüdtke**, Goether University Frankfurt  
**André Macedo**, University of Reading  
**Kayleigh Measures**, University of York  
**Salvatore Mercuri**, University of Durham  
**Adam Morgan**, University of Glasgow  
**Any Muanalifah**, University of Birmingham  
**Simone Muselli**, University of Bristol  
**Masahiro Nakahara**, University of Manchester  
**Sarah Nowell**, LSGNT  
**Innocent Opara**, Qumet Institute  
**Ross Paterson**, University of Glasgow  
**Alice Pozzi**, University College London  
**Angelo Rendina**, University of Sheffield  
**Robert Rockwood**, University of Warwick  
**Beth Romano**, University of Cambridge  
**Nick Rome**, University of Bristol  
**Alex Saad**, University of Oxford  
**Mattia Sanna**, University of Warwick  
**Ciaran Schembri**, University of Sheffield  
**Vlad Serban**, University of Vienna  
**Daria Shchedrina**, University of Nottingham  
**George Turcas**, University of Warwick  
**Art Waeterschoot**, Imperial College London  
**Ariel Weiss**, University of Sheffield  
**Hanneke Wiersema**, LSGNT  
**Sadiyah Zahoor**, University of Sheffield  
**Di Zhang**, University of Sheffield